

LECTURE 10: MARKETS, PRICES, SUPPLY AND DEMAND

See Barro Ch. 6

Trevor Gallen

Spring, 2016

CLEARING MARKETS

- ▶ We have several important markets in the macroeconomy
 1. Labor market (L, w)
 2. Capital rental market (K, r)
 3. Goods market (C, P)
 4. Bonds market (B, i)

MARKETS

- ▶ What is rented on each market?
 1. Labor market: person-hours
 2. Capital rental market: machine-hours
 3. Goods market: goods
 4. Bonds market: dollars
- ▶ Note that we assume households will rent capital to firms
- ▶ Households supply capital, labor, bonds, demand consumption, bonds
- ▶ Firms supply consumption, bonds, demand labor, capital, bonds
- ▶ Use an arbitrary medium of exchange: money/“dollars”

MARKETS

- ▶ What is rented on each market?
 1. Labor market: person-hours
 2. Capital rental market: machine-hours
 3. Goods market: goods
 4. Bonds market: dollars (?)
- ▶ Note that we assume households will rent capital to firms
- ▶ Households supply capital, labor, bonds, demand consumption, bonds
- ▶ Firms supply consumption, bonds, demand labor, capital, bonds
- ▶ Use an arbitrary medium of exchange: money/“dollars”

PRICES

- ▶ Define price P as *dollars per consumption good*
- ▶ This is price in “real terms”
- ▶ Then W/P is “person-hours/consumption unit”
- ▶ Then R/P is “machine-hours/consumption unit”
- ▶ We keep i , “dollars tomorrow for dollars today”

HOUSEHOLD INCOME

- ▶ Households have four sources of income
 1. Profit from owning firm
 2. Wages from working
 3. Rental income from capital
 4. Interest income from bonds

PROFIT FROM OWNING FIRM

- ▶ Firms have production function:

$$Y = A \cdot F(K, L)$$

- ▶ And profit:

$$\Pi = PY - (WL + RK)$$

- ▶ Together, these make profit:

$$\Pi = A \cdot F(K, L)Y - (WL + RK)$$

WAGES FROM WORKING

- ▶ Wages to households are WL

RENTAL INCOME FROM CAPITAL

- ▶ (Net) rental income from capital is whatever we're paid minus whatever we lose
- ▶ Let δ be the rate at which capital falls apart
- ▶ Recall capital is in terms of consumption goods, so δPK is loss
- ▶ Then net rental income is $RK - \delta PK$
- ▶ And rate of return of owning a unit of capital is $R - \delta P$

INTEREST INCOME FROM BONDS

- ▶ Net income from bonds is iB

PUTTING IT ALL TOGETHER

Nominal income:

$$\Pi + wL + \left(\frac{R}{P} - \delta \right) PK + iB$$

ASSETS

- ▶ Households have three assets
 1. Money M , return: 0
 2. Capital K , return: $R/P - \delta$
 3. Bonds B return i
- ▶ No reason to hold money in our model (we'll get to this)
- ▶ If people hold both capital and bonds, return must be the same!

$$\frac{R}{P} - \delta = i$$

PUTTING IT ALL TOGETHER-II

Nominal income, given $\frac{R}{P} - \delta = i$:

$$\Pi + wL + i(PK + B)$$

NOMINAL SAVINGS

- ▶ Changes in capital, bonds, and money are a source of nominal income:

$$\text{Nominal Savings} = \Delta B + P\Delta K$$

- ▶ Where we assume that $\Delta M = 0$.

PUTTING IT ALL TOGETHER-III

$$\underbrace{PC}_{\text{Expenditure}} + \underbrace{\Delta B + P\Delta K}_{\text{Savings}} = \underbrace{\Pi + wL + i(B + PK)}_{\text{Income}}$$

- ▶ PC : Nominal consumption
- ▶ ΔB : Nominal bond savings
- ▶ $P\Delta K$: Nominal capital savings
- ▶ Π : Nominal profit income
- ▶ wL : Nominal wage income
- ▶ iB : Nominal bond income
- ▶ iPK : Nominal capital income

Be able to write and understand this basic equation!!

PUTTING IT ALL TOGETHER-IV

$$\underbrace{PC}_{\text{Expenditure}} + \underbrace{\Delta B + P\Delta K}_{\text{Savings}} = \underbrace{\Pi + wL + i(B + PK)}_{\text{Income}}$$

Divide by P :

$$\underbrace{C}_{\text{Real Expenditure}} + \underbrace{\frac{\Delta B}{P} + \Delta K}_{\text{Real Savings}} = \underbrace{\frac{\Pi}{P} + \frac{w}{P}L + i\left(\frac{B}{P} + K\right)}_{\text{Real Income}}$$

CLEARING LABOR MARKETS

- ▶ Recall again nominal profit:

$$\Pi = PAF(K, L) - wL - RK$$

- ▶ Or real profit:

$$\frac{\Pi}{P} = AF(K, L) - \frac{w}{P}L - \frac{R}{P}K$$

MAXIMIZING PROFIT

▶ $\frac{\partial \Pi/P}{\partial L}$

$$\frac{\partial \Pi/P}{\partial L} = \frac{\partial AF(K, L)}{\partial L} - \frac{\partial \frac{w}{P}L}{\partial L} - \frac{\partial \frac{R}{P}K}{\partial L}$$

If profit is maximized, then a change in L won't change profit:

$$0 = AF_L(K, L) - \frac{w}{P}$$

$$AF_L(K, L) = \frac{w}{P}$$

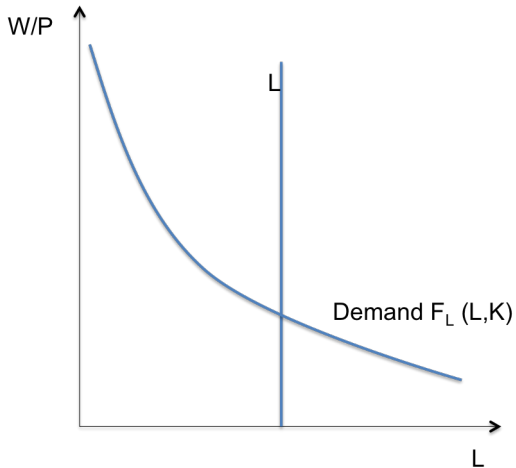
This is the labor demand function

▶ Similarly, $\frac{\partial \Pi/P}{\partial K}$ gives:

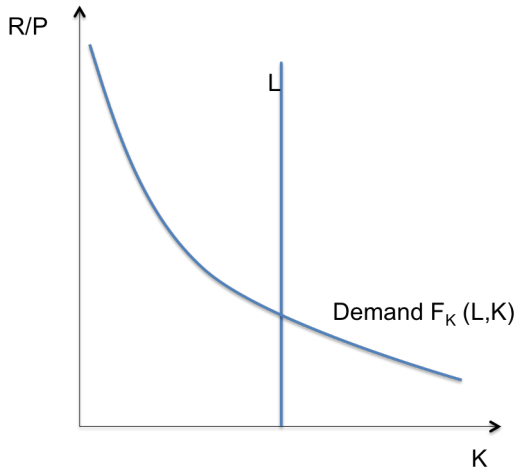
$$AF_K(K, L) = \frac{R}{P}$$

This is the capital demand function

LABOR MARKET CLEARING



LABOR MARKET CLEARING



SUMMARIZING

- ▶ This may have been painful and boring
- ▶ Understanding the budget constraint and tweaks to it will take up the next few chapters

$$\underbrace{PC}_{\text{Expenditure}} + \underbrace{\Delta B + P\Delta K}_{\text{Savings}} = \underbrace{\Pi + wL + i(B + PK)}_{\text{Income}}$$

- ▶ Every outflow is also an inflow
- ▶ Income to firms is income to households
- ▶ In the end, someone consumes the good, so what is made must be eaten (so to speak)